

Answers to growth homework.

1. A. Use the formula $g = \log(N_t/N_0)/0.3$ and you get $g = 17.7$. So there must be 17.7 (or 18 rounded) generations to go from 500 to 10^8 CFU. Since the doubling time is 20 min (0.33 hour), you get $18g \times 0.33\text{h/g} = 5.9$ h (or 6 h, rounded), so you would have to come in at 5:00 pm + 6 h = 11:00 pm.

2. A. Same formula: $g = \log(48,000/3,000)/0.3 = 4.0$;
 $5 \text{ h}/4.0 \text{ g} = 1.25 \text{ h/g}$ or 75 min/g.

B. Growth rate is the inverse of the generation (doubling) time and is usually denoted by the greek letter Mu (μ). So the growth rate = 0.8/h or 0.013/min.

3. Now we are going to use $N_t = N_0 \times 2^g$. First, we have to calculate the number of generations (g) for each strain. The wild-type clone's growth rate is 1.5g/h, so in 10 h there are 15 generations. For the mutant clone the normal growth rate is 3g/h, so in 10 h there are 30 generations.

For the wild-type clone, $N_0 = 1000$, so at 10 h, $N_{10} = 1000 \times 2^{15} = 3.3 \times 10^7$ CFU.
For the mutant, $N_0 = 1$, so at 10 h, $N_{10} = 1 \times 2^{30} = 1.1 \times 10^9$ CFU.

So the ratio of wild-type to mutant clones is $3.3 \times 10^7 / 1.1 \times 10^9 = 0.03$, or about 1 in 33. Not very good!

4. Use $g = \log(N_t/N_0)/0.3$. $g = \log(10^{28}/10^{-12})/0.3 = \log 10^{40}/0.3 = 40/0.3 = 133$.
Since each generation is 0.5 hours, it would take $133g \times 0.5 \text{ hours} = 67 \text{ hours}$ or roughly 2.8 days.